

C 82139

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Name.....

Reg. No.....

SECOND SEMESTER B.Sc. DEGREE (SUPPLEMENTARY/IMPROVEMENT)
EXAMINATION, APRIL/MAY 2015

(UG-CCSS)

Complementary Course—Physics

PH 2C 03—MECHANICS, RELATIVITY, WAVES AND OSCILLATIONS

Time : Three Hours

Maximum : 30 Weightage

Section A

Answer all questions.

Each question carries $\frac{1}{4}$ weightage.

1. A muon is travelling through the laboratory at three-fifths the speed of light. It last :
(a) 10^{-6} S. (b) 1.5×10^{-6} S.
(c) 2×10^{-6} S. (d) 2.5×10^{-6} S.
2. In terms of the relativistic energy :
(a) $E^2 - p^2 c^2 = m^2 c^4$. (b) $E^2 + m^2 c^4 = p^2 c^2$.
(c) $E^2 + p^2 c^2 = m^2 c^4$. (d) $E^2 + p^2 c^2 = m^2 c^2$.
3. The magnetic dipole in an electric field carries linear momentum is also called _____.
4. A harmonic oscillator has a total energy E. Then the K.E. when the displacement is one half of the amplitude is :
(a) E. (b) $\frac{1}{4}$ (E).
(c) $\frac{1}{2}$ E. (d) $\frac{3}{4}$ E.
5. The relation between particle velocity and wave velocity is :
(a) $\frac{dy}{dx} = -v \frac{dy}{dt}$. (b) $\frac{dy}{dx} = -\frac{1}{v} \frac{dy}{dt}$.
(c) $\frac{dy}{dt} = -v \frac{dy}{dx}$. (d) $\frac{dy}{dt} = -\frac{1}{v} \frac{dy}{dx}$.

Turn over

Section C

*Answer any five questions.
Each question carries 2 weightage.*

22. Obtain Galilean transformation equations and explain its significance.
23. Derive Lorentz contraction formula and explain why moving objects are shortened.
24. Explain Michelson Morley experiments and give its importance.
25. State and explain Fourier theorem.
26. Derive an expression for energy density of a plane progressive wave.
27. Derive the time dependent Schrödinger equation, and discuss its role in Physics.
28. With suitable diagram, explain the working of electron microscope.

(5 × 2 = 10 weightage)

Section D

*Answer any two questions.
Each question carries 4 weightage.*

29. Derive mass energy relation and hence to arrive momentum energy relation.
30. Discuss the motion of particle under damped motion and obtain its differential equation. Write the probable solution and represent it graphically.
31. Solve the Schrödinger equation for a particle enclosed in a one dimensional rigid box of side L. Obtain its eigen values. Draw a graph of its first three eigen functions. Discuss the probability of finding the particle.

(2 × 4 = 8 weightage)